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Physics Equation List :Form 4 Introduction to Physics

Relative Deviation

$$\text{Relative Deviation} = \frac{\text{Mean Deviation}}{\text{Mean Value}} \times 100\%$$

Prefixes

Prefixes	Value	Standard form	Symbol
Tera	1 000 000 000 000	10^{12}	T
Giga	1 000 000 000	10^9	G
Mega	1 000 000	10^6	M
Kilo	1 000	10^3	k
deci	0.1	10^{-1}	d
centi	0.01	10^{-2}	c
milli	0.001	10^{-3}	m
micro	0.000 001	10^{-6}	μ
nano	0.000 000 001	10^{-9}	n
pico	0.000 000 000 001	10^{-12}	p

Units for Area and Volume

$$\begin{array}{ll} 1 \text{ m} = 10^2 \text{ cm} & (100 \text{ cm}) \\ 1 \text{ m}^2 = 10^4 \text{ cm}^2 & (10,000 \text{ cm}^2) \\ 1 \text{ m}^3 = 10^6 \text{ cm}^3 & (1,000,000 \text{ cm}^3) \end{array} \qquad \begin{array}{ll} 1 \text{ cm} = 10^{-2} \text{ m} & \left(\frac{1}{100} \text{ m}\right) \\ 1 \text{ cm}^2 = 10^{-4} \text{ m}^2 & \left(\frac{1}{10,000} \text{ m}^2\right) \\ 1 \text{ cm}^3 = 10^{-6} \text{ m}^3 & \left(\frac{1}{1,000,000} \text{ m}^3\right) \end{array}$$

Force and Motion

Average Speed

$$\text{Average Speed} = \frac{\text{Total Distance}}{\text{Total Time}}$$

Velocity

$$v = \frac{s}{t}$$

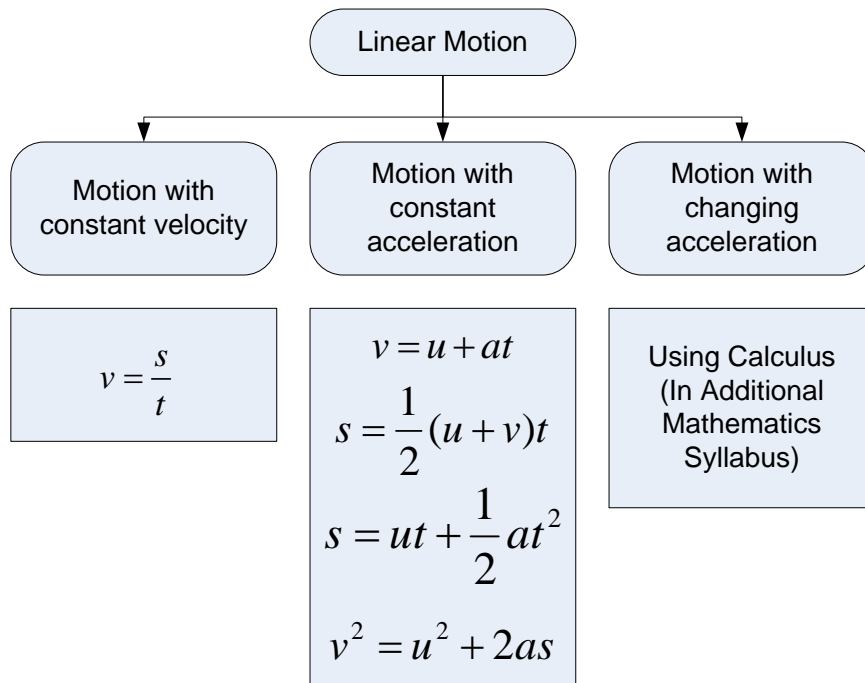
$v = \text{velocity}$ (ms^{-1})
 $s = \text{displacement}$ (m)
 $t = \text{time}$ (s)

Acceleration

$$a = \frac{v - u}{t}$$

$a = \text{acceleration}$ (ms^{-2})
 $v = \text{final velocity}$ (ms^{-1})
 $u = \text{initial velocity}$ (ms^{-1})
 $t = \text{time for the velocity change}$ (s)

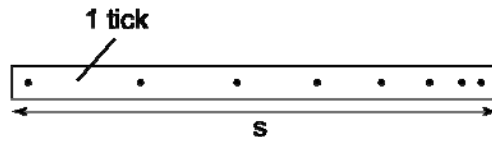
Equation of Linear Motion



$u = \text{initial velocity}$ (ms^{-1})
 $v = \text{final velocity}$ (ms^{-1})
 $a = \text{acceleration}$ (ms^{-2})
 $s = \text{displacement}$ (m)
 $t = \text{time}$ (s)

Ticker Tape

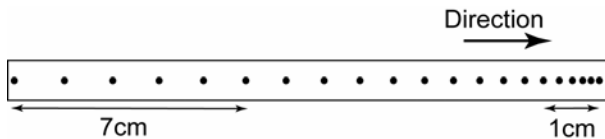
Finding Velocity:



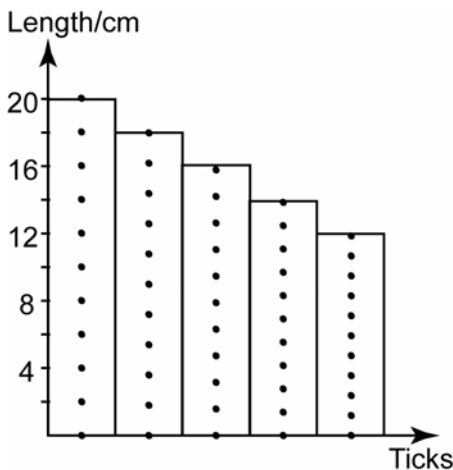
$$\text{velocity} = \frac{s}{\text{number of ticks} \times 0.02\text{s}}$$

$$1 \text{ tick} = 0.02\text{s}$$

Finding Acceleration:



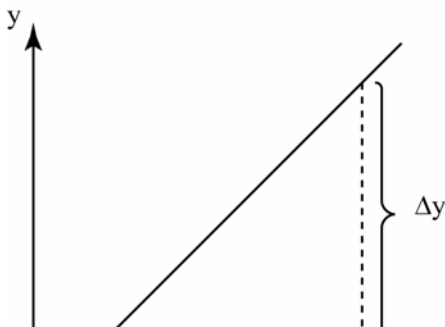
$$a = \frac{v - u}{t}$$



$a = \text{acceleration}$ (ms^{-2})
 $v = \text{final velocity}$ (ms^{-1})
 $u = \text{initial velocity}$ (ms^{-1})
 $t = \text{time for the velocity change}$ (s)

Graph of Motion

Gradient of a Graph



The gradient 'm' of a line segment between two points and is defined as follows:

$$\text{Gradient, } m = \frac{\text{Change in y coordinate, } \Delta y}{\text{Change in x coordinate, } \Delta x}$$

or

$$m = \frac{\Delta y}{\Delta x}$$

Displacement-Time Graph	Velocity-Time Graph
Gradient = Velocity (ms^{-1})	Gradient = Acceleration (ms^{-2}) Area in between the graph and x-axis = Displacement

Momentum

$$p = m \times v$$

$p = \text{momentum}$ (kg ms^{-1})
 $m = \text{mass}$ (kg)
 $v = \text{velocity}$ (ms^{-1})

Principle of Conservation of Momentum

$$m_1 u_1 + m_2 u_2 = m_1 v_1 + m_2 v_2$$

$m_1 = \text{mass of object 1}$ (kg)
 $m_2 = \text{mass of object 2}$ (kg)
 $u_1 = \text{initial velocity of object 1}$ (ms^{-1})
 $u_2 = \text{initial velocity of object 2}$ (ms^{-1})
 $v_1 = \text{final velocity of object 1}$ (ms^{-1})
 $v_2 = \text{final velocity of object 2}$ (ms^{-1})

Newton's Law of Motion

Newton's First Law

In the absence of external forces, an object at rest remains at rest and an object in motion continues in motion with a constant velocity (that is, with a constant speed in a straight line).

Newton's Second Law

$$F \propto \frac{mv - mu}{t}$$

$$F = ma$$

The rate of change of momentum of a body is directly proportional to the resultant force acting on the body and is in the same direction.

$F = \text{Net Force}$ (N or kgms^{-2})

$m = \text{mass}$ (kg)

$a = \text{acceleration}$ (ms^{-2})

Implication

When there is resultant force acting on an object, the object will **accelerate** (moving faster, moving slower or change direction).

Newton's Third Law

Newton's third law of motion states that for every force, there is a reaction force with the same magnitude but in the opposite direction.

Impulse

$$\text{Impulse} = Ft$$

$F = \text{force}$ (N)

$t = \text{time}$ (s)

$$\text{Impulse} = mv - mu$$

$m = \text{mass}$ (kg)

$v = \text{final velocity}$ (ms^{-1})

$u = \text{initial velocity}$ (ms^{-1})

Impulsive Force

$$F = \frac{mv - mu}{t}$$

$F = \text{Force}$ (N or kgms^{-2})

$t = \text{time}$ (s)

$m = \text{mass}$ (kg)

$v = \text{final velocity}$ (ms^{-1})

$u = \text{initial velocity}$ (ms^{-1})

Gravitational Field Strength

$$g = \frac{F}{m}$$

$g = \text{gravitational field strength}$ (N kg^{-1})

$F = \text{gravitational force}$ (N or kgms^{-2})

$m = \text{mass}$ (kg)

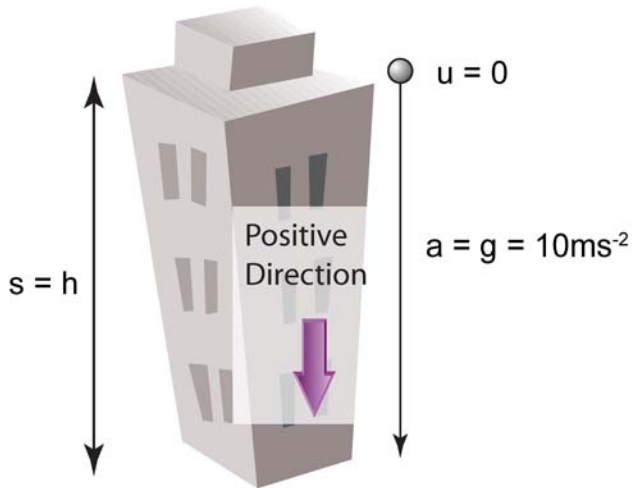
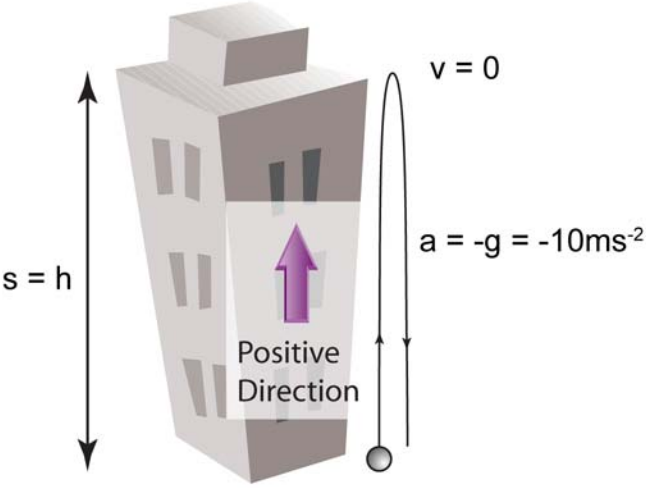
Weight

$W = \text{Weight}$ (N or kgms^{-2})

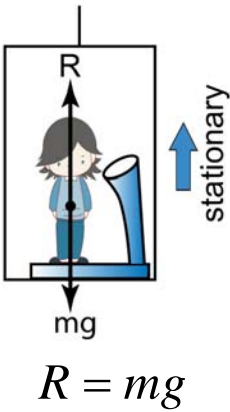
$m = \text{mass}$ (kg)

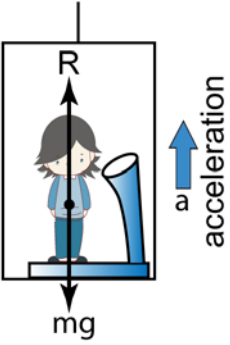
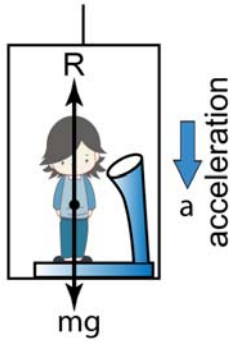
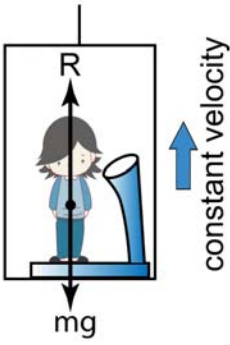
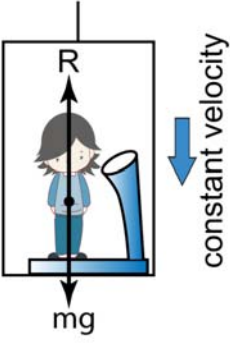
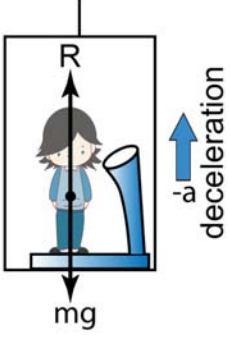
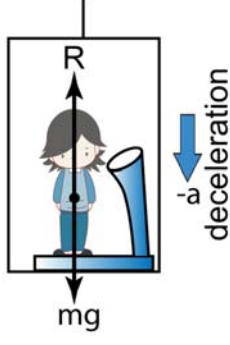
$g = \text{gravitational field strength/gravitational acceleration}$ (ms^{-2})

Vertical Motion

	
<ul style="list-style-type: none"> • If an object is release from a high position: • The initial velocity, $u = 0$. • The acceleration of the object = gravitational acceleration = 10ms^{-2} (or 9.81 ms^{-2}). • The displacement of the object when it reach the ground = the height of the original position, h. 	<ul style="list-style-type: none"> • If an object is launched vertically upward: • The velocity at the maximum height, $v = 0$. • The deceleration of the object = -gravitational acceleration = -10ms^{-2} (or -9.81 ms^{-2}). • The displacement of the object when it reach the ground = the height of the original position, h.

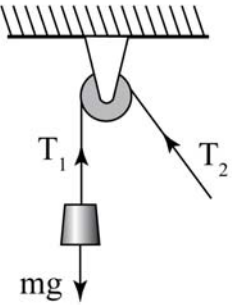
Lift

<p>In Stationary</p>  <p style="text-align: center;">$R = mg$</p>	<ul style="list-style-type: none"> • When a man standing inside an elevator, there are two forces acting on him. <ul style="list-style-type: none"> (a) His weight, which acting downward. (b) Normal reaction (R), acting in the opposite direction of weight. • The reading of the balance is equal to the normal reaction.
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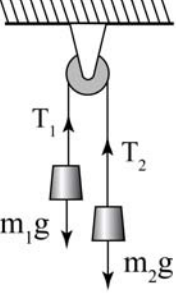
<p>Moving Upward with positive acceleration</p>  $R = mg + ma$	<p>Moving downward with positive acceleration</p>  $R = mg - ma$
<p>Moving Upward with constant velocity</p>  $R = mg$	<p>Moving downward with constant velocity.</p>  $R = mg$
<p>Moving Upward with negative acceleration</p>  $R = mg - ma$	<p>Moving downward with negative acceleration</p>  $R = mg + ma$

Smooth Pulley

With 1 Load

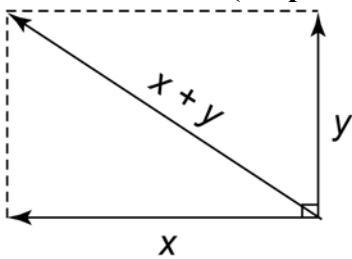
	$T_1 = T_2$	Moving with uniform speed: $T_1 = mg$
	Stationary: $T_1 = mg$	Accelerating: $T_1 - mg = ma$

With 2 Loads

	Finding Acceleration: (If $m_2 > m_1$) $m_2g - m_1g = (m_1 + m_2)a$
	Finding Tension: (If $m_2 > m_1$) $T_1 = T_2$ $T_1 - m_1g = ma$ $m_2g - T_2 = ma$

Vector

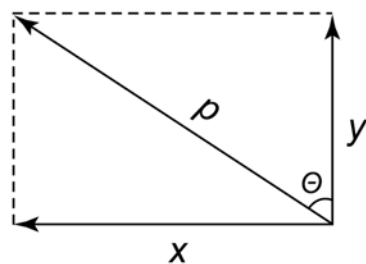
Vector Addition (Perpendicular Vector)



$$\text{Magnitude} = \sqrt{x^2 + y^2}$$

$$\text{Direction} = \tan^{-1} \frac{|y|}{|x|}$$

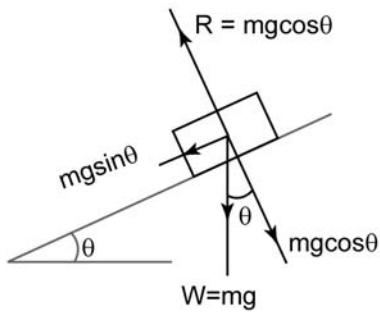
Vector Resolution



$$|x| = |p| \sin \theta$$

$$|y| = |p| \cos \theta$$

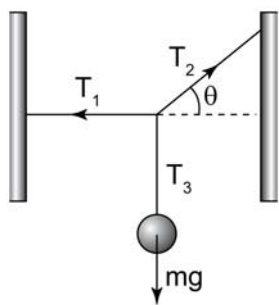
Inclined Plane



Component parallel to the plane $= mgsin\theta$

Component perpendicular to the plane $= mgcos\theta$

Forces In Equilibrium

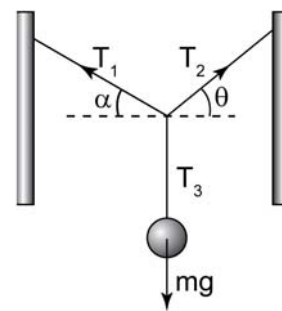


$$T_3 = mg$$

$$T_2 \sin \theta = mg$$

$$T_2 \cos \theta = T_1$$

$$T_1 \tan \theta = mg$$

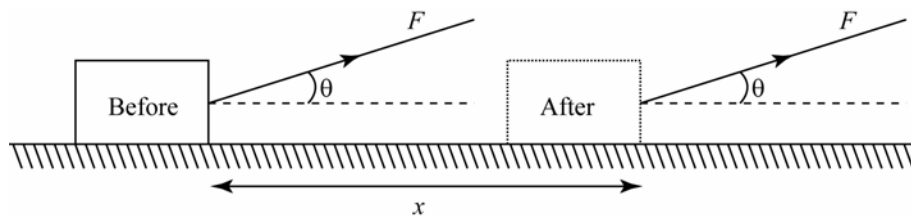


$$T_3 = mg$$

$$T_2 \cos \theta = T_1 \cos \alpha$$

$$T_2 \sin \theta + T_1 \sin \alpha = mg$$

Work Done



$$W = Fx \cos \theta$$

$W =$ Work Done

(J or Nm)

$F =$ Force

(N or $kgms^{-2}$)

$x =$ displacement

(m)

$\theta =$ angle between the force and the direction of motion

($^{\circ}$)

When the force and motion are in the same direction.

Work Done

(J or Nm)

Force

(N or $kgms^{-2}$)

displacement

(m)

Energy

Kinetic Energy

$$E_K = \frac{1}{2}mv^2$$

$$\begin{aligned} E_K &= \text{Kinetic Energy} && (J) \\ m &= \text{mass} && (kg) \\ v &= \text{velocity} && (ms^{-1}) \end{aligned}$$

Gravitational Potential Energy

$$E_P = mgh$$

$$\begin{aligned} E_P &= \text{Potential Energy} && (J) \\ m &= \text{mass} && (kg) \\ g &= \text{gravitational acceleration} && (ms^{-2}) \\ h &= \text{height} && (m) \end{aligned}$$

Elastic Potential Energy

$$E_P = \frac{1}{2}kx^2$$

$$\begin{aligned} E_P &= \text{Potential Energy} && (J) \\ k &= \text{spring constant} && (N m^{-1}) \\ x &= \text{extension of spring} && (m) \end{aligned}$$

$$E_P = \frac{1}{2}Fx$$

$$F = \text{Force} \quad (N)$$

Power and Efficiency

Power

$$P = \frac{W}{t}$$

$$\begin{aligned} P &= \text{power} && (W \text{ or } Js^{-1}) \\ W &= \text{work done} && (J \text{ or } Nm) \\ E &= \text{energy change} && (J \text{ or } Nm) \\ t &= \text{time} && (s) \end{aligned}$$

$$P = \frac{E}{t}$$

Efficiency

$$\text{Efficiency} = \frac{\text{Useful Energy}}{\text{Energy}} \times 100\%$$

Or

$$\text{Efficiency} = \frac{\text{Power Output}}{\text{Power Input}} \times 100\%$$

Hooke's Law

$$F = kx$$

$$\begin{aligned} F &= \text{Force} && (N \text{ or } kgms^{-2}) \\ k &= \text{spring constant} && (N m^{-1}) \\ & \text{extension or compression of spring} && (m) \end{aligned}$$

Force and Pressure

Density

$$\rho = \frac{m}{V}$$

ρ = density (kg m⁻³)
 m = mass (kg)
 V = volume (m³)

Pressure

$$P = \frac{F}{A}$$

P = Pressure (Pa or N m⁻²)
 A = Area of the surface (m²)
 F = Force acting normally to the surface (N or kgms⁻²)

Liquid Pressure

$$P = h\rho g$$

h = depth (m)
 ρ = density (kg m⁻³)
 g = gravitational Field Strength (N kg⁻¹)

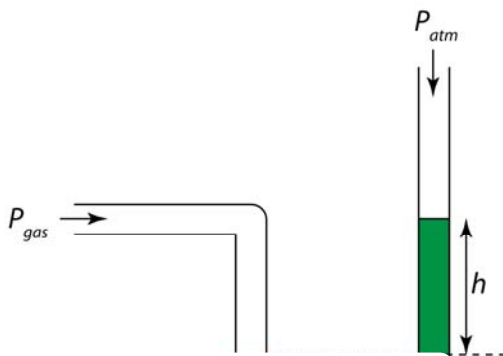
Pressure in Liquid

$$P = P_{atm} + h\rho g$$

h = depth (m)
 ρ = density (kg m⁻³)
 g = gravitational Field Strength (N kg⁻¹)
 P_{atm} = atmospheric Pressure (Pa or N m⁻²)

Gas Pressure

Manometer

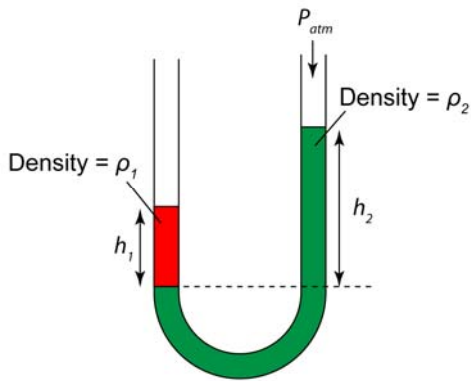


$$P = P_{atm} + h\rho g$$

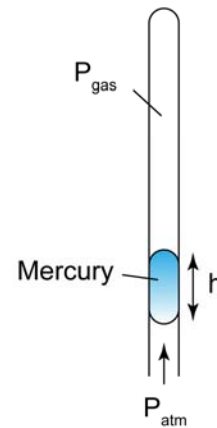
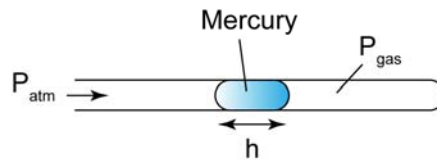
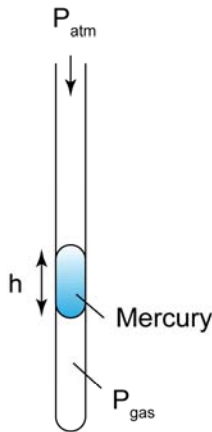
P_{gas} = Pressure (Pa or N m⁻²)
 P_{atm} = Atmospheric Pressure (Pa or N m⁻²)
 g = gravitational field strength (N kg⁻¹)

U=tube

$$h_1 \rho_1 = h_2 \rho_2$$



Pressure in a Capillary Tube



$$P_{\text{gas}} = P_{\text{atm}} + h\rho g$$

$$P_{\text{gas}} = P_{\text{atm}}$$

$$P_{\text{gas}} = P_{\text{atm}} - h\rho g$$

P_{gas} = gas pressure in the capillary tube

(Pa or N m^{-2})

P_{atm} = atmospheric pressure

(Pa or N m^{-2})

h = length of the captured mercury

(m)

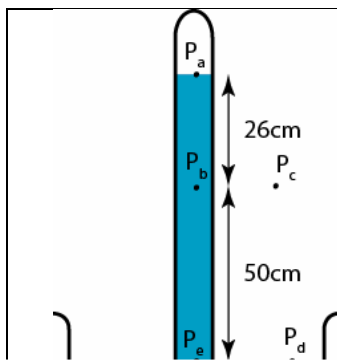
ρ = density of mercury

(kg m^{-3})

g = gravitational field strength

(N kg^{-1})

Barometer



Pressure in unit cmHg	Pressure in unit Pa
$P_a = 0$	$P_a = 0$
$P_b = 26$	$P_b = 0.26 \times 13600 \times 10$
$P_c = 76$	$P_c = 0.76 \times 13600 \times 10$
$P_d = 76$	$P_d = 0.76 \times 13600 \times 10$
$P_e = 76$	$P_e = 0.76 \times 13600 \times 10$
84	$P_f = 0.84 \times 13600 \times 10$

(Density of mercury = 13600kg m^{-3})

Pascal's Principle

	$\frac{F_1}{A_1} = \frac{F_2}{A_2}$ <p> F_1 = Force exerted on the small piston A_1 = area of the small piston F_2 = Force exerted on the big piston A_2 = area of the big piston </p>
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Archimedes Principle

	<p>Weight of the object, $W = \rho_1 V_1 g$</p> <p>Upthrust, $F = \rho_2 V_2 g$</p> <p> ρ_1 = density of wooden block V_1 = volume of the wooden block ρ_2 = density of water V_2 = volume of the displaced water g = gravitational field strength </p>
<p>Density of water > Density of wood</p> $F = T + W$ $\rho V g = T + mg$	<p>Density of Iron > Density of water</p> $T + F = W$ $\rho V g + T = mg$

Heat

Heat Change

$$Q = mc\theta$$

$m = \text{mass}$ (kg)
 $c = \text{specific heat capacity}$ ($\text{J kg}^{-1} \text{ } ^\circ\text{C}^{-1}$)
 $\theta = \text{temperature change}$ ($^\circ$)

Electric Heater	Mixing 2 Liquid
Energy Supply, $E = Pt$ Energy Receive, $Q = mc\theta$ Energy Supply, E = Energy Receive, Q $Pt = mc\theta$ $E = \text{electrical Energy (J or Nm)}$ $P = \text{Power of the electric heater (W)}$ $t = \text{time (in second)} \quad (s)$ $Q = \text{Heat Change (J or Nm)}$ $m = \text{mass} \quad (kg)$ $c = \text{specific heat capacity (J kg}^{-1} \text{ } ^\circ\text{C}^{-1})$ $\theta = \text{temperature change} \quad (^\circ)$	Heat Gain by Liquid 1 = Heat Loss by Liquid 2 $m_1c_1\theta_1 = m_2c_2\theta_2$ $m_1 = \text{mass of liquid 1}$ $c_1 = \text{specific heat capacity of liquid 1}$ $\theta_1 = \text{temperature change of liquid 1}$ $m_2 = \text{mass of liquid 2}$ $c_2 = \text{specific heat capacity of liquid 2}$ $\theta_2 = \text{temperature change of liquid 2}$

Specific Latent Heat

$$Q = mL$$

$Q = \text{Heat Change}$ (J or Nm)
 $m = \text{mass}$ (kg)
 $L = \text{specific latent heat}$ (J kg^{-1})

Boyle's Law

$$P_1V_1 = P_2V_2$$

(Requirement: Temperature in constant)

Pressure Law

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

Charles's Law

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

(Requirement: Pressure is constant)

Universal Gas Law

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

$P = \text{Pressure}$

$V = \text{Volume}$

$T = \text{Temperature}$

(Pa or cmHg)

(m^3 or cm^3)

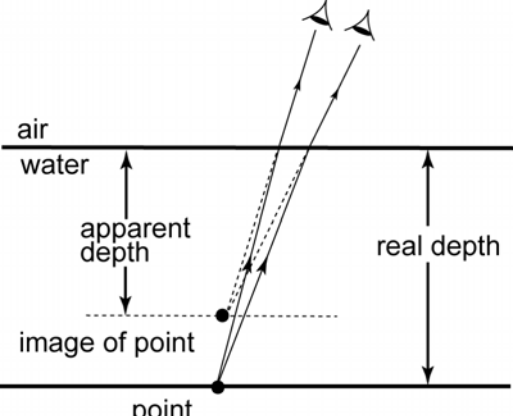
(MUST be in K(Kelvin))

Light

Refractive Index

Snell's Law

Real depth/Apparent Depth

	$n = \frac{\sin i}{\sin r}$ <p> $n = \text{refractive index}$ (No unit) $i = \text{angle of incident}$ ($^\circ$) $r = \text{angle of reflection}$ ($^\circ$) </p>
	$n = \frac{D}{d}$ <p> $n = \text{refractive index}$ (No unit) $D = \text{real depth}$ (m or cm...) $d = \text{apparent depth}$ (m or cm...) </p>
<h4>Speed of light</h4> $n = \frac{c}{v}$ <p> $n = \text{refractive index}$ (No unit) $c = \text{speed of light in vacuum}$ (ms^{-1}) $v = \text{speed of light in a medium (like water, ...)}$ </p>	<h4>Total Internal Reflection</h4> $n = \frac{1}{\sin c}$ <p> $n = \text{refractive index}$ (No unit) $c = \text{critical angle}$ ($^\circ$) </p>

Lens

Power

$$P = \frac{1}{f}$$

$P =$ Power

$f =$ focal length

(D(Diopter))

(m)

Linear Magnification

$$m = \frac{h_i}{h_o}$$

$$m = \frac{v}{u}$$

$$\frac{h_i}{h_o} = \frac{v}{u}$$

$m =$ linear magnification

(No unit)

$u =$ distance of object

(m or cm...)

$v =$ distance of image

(m or cm...)

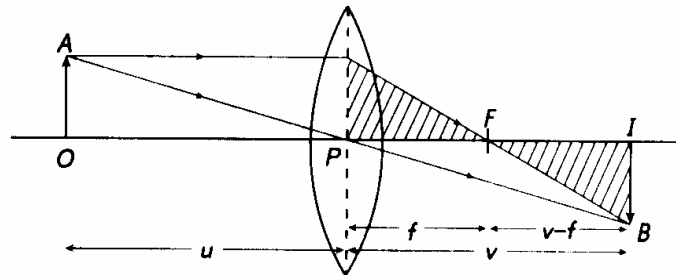
$h_i =$ height of image

(m or cm...)

$h_o =$ height of object

(m or cm...)

Lens Equation



$$\frac{1}{u} + \frac{1}{v} = \frac{1}{f}$$

Conventional symbol

	positive	negative
u	Real object	Virtual object
v	Real image	Virtual image
f	Convex lens	Concave lens

Astronomical Telescope

Magnification,

$$m = \frac{P_e}{P_o} \qquad m = \frac{f_o}{f_e}$$

m = linear magnification
 P_e = Power of the eyepiece
 P_o = Power of the objective lens
 f_e = focal length of the eyepiece
 f_o = focal length of the objective lens

Distance between eye lens and objective lens

$$d = f_o + f_e$$

d = Distance between eye lens and objective lens
 f_e = focal length of the eyepiece
 f_o = focal length of the objective lens

Compound Microscope

Magnification

$$\begin{aligned} m &= m_1 \times m_2 \\ &= \frac{\text{Height of first image, } I_1}{\text{Height of object}} \times \frac{\text{Height of second image, } I_2}{\text{Height of first image, } I_1} \\ &= \frac{\text{Height of second image, } I_2}{\text{Height of object, } I_1} \end{aligned}$$

m = Magnification of the microscope
 m_1 = Linear magnification of the object lens
 m_2 = Linear magnification of the eyepiece

Distance in between the two lens

$$d > f_o + f_e$$

d = Distance between eye lens and objective lens
 f_e = focal length of the eyepiece
 f_o = focal length of the objective lens